Final Review

May 9, 2017

SQL

A Basic SQL Query

(optional) keyword indicating that the answer should **not** contain duplicates

SELECT [DISTINCT] target-list

A list of attributes of relations in relation-

FROM relation-list

A list of relation names (possibly with a range-variable after each name)

WHERE condition

Comparisons ('=', '<>', '<', '>', '<=', '>=') and other boolean predicates, combined using AND, OR, and NOT (a boolean formula)

Integrity Constraints

- Domain Constraints
	- Limitations on valid values of a field.
- Key Constraints
	- A field(s) that must be unique for each row.
- **•** Foreign Key Constraints
	- A field referencing a key of another relation.
	- Can also encode participation/1-many/many-1/1-1.
- Table Constraints
	- More general constraints based on queries.

Algorithms

Memory Conscious Algorithms

- Join
	- NLJ has a small working set (but is slow)
- GB Aggregate
	- Working Set \sim # of Groups
- Sort
	- Working Set ~ Size of Relation

Implementing: Joins **Solution 1** (Nested-Loop)

For Each (a in A) $\{$ For Each (b in B) $\{$ emit $(a, b); \}$

Implementing: Joins

Solution 2 (Block-Nested-Loop)

1) Partition into Blocks 2) NLJ on each pair of blocks

Like nested-loop, but use an index to make the inner loop much faster!

Implementing: Joins **Solution 4** (Sort-Merge Join)

Keep iterating on the set with the lowest value. When you hit two that match, emit, then iterate both

(Essentially a more efficient nested loop join)

Implementing: Joins **Tradeoffs**

Relational Algebra

RA Equivalencies

Selection

$$
\sigma_{c_1 \wedge c_2}(R) \equiv \sigma_{c_1}(\sigma_{c_2}(R))
$$

$$
\sigma_{c_1 \vee c_2}(R) \equiv \delta(\sigma_{c_1}(R) \cup \sigma_{c_2}(R))
$$

$$
\sigma_{c_1}(\sigma_{c_2}(R)) \equiv \sigma_{c_2}(\sigma_{c_1}(R))
$$

(Decomposable) (Commutative) (Decomposable)

Projection

$$
\pi_a(R) \equiv \pi_a(\pi_{a\cup b}(R))
$$
 (Idempotent)

$$
\frac{\text{Cross Product (and Join)}}{R \times (S \times T)} \equiv (R \times S) \times T
$$

$$
(R \times S) \equiv (S \times R)
$$

(Associative) (Commutative)

Selection and Projection

 $\pi_a(\sigma_c(R)) \equiv \sigma_c(\pi_a(R))$

Selection commutes with Projection (but only if attribute set **a** and condition **c** are *compatible*)

a must include all columns referenced by **c**

Join

 $\sigma_c(R \times S) \equiv R \bowtie_c S$

Selection combines with Cross Product to form a Join as per the definition of Join (Note: This only helps if we have a join algorithm for conditions like **c**)

Selection and Cross Product

 $\sigma_c(R \times S) \equiv (\sigma_c(R) \times S)$

Selection commutes with Cross Product (but only if condition **c** references attributes of R exclusively)

Projection and Cross Product

 $\pi_a(R \times S) \equiv (\pi_{a_1}(R)) \times (\pi_{a_2}(S))$

Projection commutes (distributes) over Cross Product (where **a**₁ and **a**₂ are the attributes in **a** from R and S respectively)

RA Equivalencies

Union and Intersections are Commutative and Associative

Selection and Projection both commute with both Union and Intersection

Relational Algebra

Also: Intersection, **Join**, Division, Renaming (Not essential, but very useful)

Transactions

What does it mean for a database operation to be correct? Transaction

What could go wrong?

Reading uncommitted data (write-read/WR conflicts; aka "Dirty Reads")

 $T1: R(A), W(A),$ $R(B), W(B), ABRT$ $T2:$ $R(A), W(A), CMT,$

> Unrepeatable Reads (read-write/RW conflicts)

 $T1: R(A)$, $R(A)$, $W(A)$, CMT $T2:$ $R(A), W(A), CMT,$

What could go wrong?

Overwriting Uncommitted Data (write-write/WW conflicts)

 $T1: W(A)$, $W(B)$, CMT $T2: W(A), W(B), CMT,$

Schedule

An ordering of read and write operations.

Serial Schedule

No interleaving between transactions **at all**

Serializable Schedule

Guaranteed to produce equivalent output to a serial schedule

Conflict Equivalence

Possible Solution: Look at read/write, etc… conflicts!

Allow operations to be reordered as long as conflicts are ordered the same way

Conflict Equivalence: Can reorder one schedule into another without reordering conflicts. Conflict Serializability: Conflict Equivalent to a serial schedule.

Conflict Serializability

- **Step 1:** Serial Schedules are Always Correct
- **Step 2:** Schedules with the same operations and the same conflict ordering are conflictequivalent.
- **Step 3:** Schedules conflict-equivalent to an always correct schedule are also correct.
	- … or conflict serializable

View Serializability

Possible Solution: Look at data flow!

View Equivalence: All reads read from the same writer Final write in a batch comes from the same writer

View Serializability: Conflict Equivalent to a serial schedule.

Information Flow

Information Flow

View Serializability

- **Step 1:** Serial Schedules are Always Correct
- **Step 2:** Schedules with the same information flow are view-equivalent.
- **Step 3:** Schedules view-equivalent to an always correct schedule are also correct.
	- ... or view serializable

Enforcing Serializability

- Conflict Serializability:
	- Does locking enforce conflict serializability?
- View Serializability
	- Is view serializability stronger, weaker, or incomparable to conflict serializability?
- What do we need to enforce either fully?

NO NO NO

How to detect conflict serializable schedule? *E.* It can not be strict 2PL because T2 will have to *unlock(B)* at the very end and hence it will

Not conflict serializable but view serializable

 $W(x)$

Every view serializable schedule which is not conflict serializable has blind writes.
Two-Phase Locking

- Phase 1: Acquire (do not release) locks.
	- *• Typically happens as objects are needed.*
- Phase 2: Release (do not acquire) locks.
	- *• Typically happens as part of commit.*

Reader/Writer (S/X)

- When accessing a DB Entity...
	- Table, Row, Column, Cell, etc...
- Before reading: Acquire a Shared (S) lock.
	- Any number of transactions can hold S.
- Before writing: Acquire an Exclusive (X) lock.
	- If a transaction holds an X, no other transaction can hold an S or X.

New Lock Modes need for locks at multiple levels of granularity.

Hierarchical Locks

- Lock Objects Top-Down
	- Before acquiring a lock on an object, an xact must have at least an intention lock on its parent!
- For example:
	- To acquire a S on an object, an xact must have an IS, IX on the object's parent (why not S, SIX, or X?)
	- To acquire an X (or SIX) on an object, an xact must have a SIX, or IX on the object's parent.

New Lock Modes

Lock Mode(s) Currently Held By Other Xacts

Lock Mode Desiredock Mode Desired

Serializability

Optimistic CC

- **Read Phase**: Transaction executes on a private copy of all accessed objects.
- **Validate Phase**: Check for conflicts.
- **Write Phase**: Make the transaction's changes to updated objects <u>public</u>.

Read, Validate, Write

Read Phase

Read Phase

ReadSet(Ti): Set of objects read by Ti.

WriteSet(T_i): Set of objects written by T_i.

Validation Phase

Pick a serial order for the transactions (e.g., assign id #s or timestamps)

When should we assign Transaction IDs? (Why?)

Validation Phase

What tests are needed?

Simple Test

For all i and k for which $i < k$, check that Ti completes before Tk begins.

Is this sufficient? Is this efficient?

Test 2

For all i and k for which $i < k$, check that Ti completes before Tk begins its write phase AND WriteSet(Ti) ∩ ReadSet(Tk) is empty

How do these two conditions help?

Test 3

For all i and k for which $i < k$, check that Ti completes its read phase first AND WriteSet(Ti) n ReadSet(Tk) is empty AND WriteSet(Ti) ∩ WriteSet(Tk) is empty

How do these three conditions help?

Timestamp CC

- Give each object a read timestamp (RTS) and a write timestamp (WTS)
- Give each transaction a timestamp (TS) at the start.
- Use RTS/WTS to track previous operations on the object.
	- Compare with TS to ensure ordering is preserved.

Timestamp CC

- When T_i reads from object O:
	- If $WTS(O) > TS(T_i)$, T_i is reading from a 'later' version.
		- Abort Ti and restart with a new timestamp.
	- If $WTS(O) < TS(T_i)$, T_i's read is safe.
		- Set RTS(O) to MAX(RTS(O), TS(T_i))

Timestamp CC

- When T_i writes to object O:
	- If $RTS(O) > TS(T_i)$, T_i would cause a dirty read.
		- Abort T_i and restart it.
	- If $WTS(O) > TS(T_i)$, T_i would overwrite a 'later' value.
		- Don't need to restart, just ignore the write.
	- Otherwise, allow the write and update WTS(O).

Logging

Before writing to the database, first write what you plan to write to a log file…

> W(A:10) **Log**

Once the log is safely on disk
 A \uparrow **6** 10 you can write the database

> W(A:10) **Log**

Log is append-only, so writes are always efficient

Log

W(A:10) W(C:8) W(E:9)

…allowing random writes to be safely batched

Log

W(A:10) W(C:8) W(E:9)

UNDO Logging

Store both the "old" and the "new" values of the record being replaced

Log

$$
W(A:8 \rightarrow 10)
$$

$$
W(C:5 \rightarrow 8)
$$

$$
W(E:16 \rightarrow 9)
$$

$45: W(E:16 \rightarrow 9)$

61

ACID

- **Isolation**: Already addressed.
- **Atomicity**: Need writes to get *flushed* in a single step.
	- IOs are only atomic at the page level.
- **Durability**: Need to *buffer* some writes until commit.
	- May need to free up memory for another xact.
- **Consistency**: Need to roll back incomplete xacts.
	- May have already paged back to disk.

Atomicity

- **Problem**: IOs are only atomic for 1 page.
	- What if we crash in between writes?
- **Solution**: Logging (e.g., Journaling Filesystem)
	- Log everything first before you do it.

Durability / Consistency

- **Problem**: Buffer memory is limited
	- What if we need to 'page out' some data?
- **Solution**: Use log (or similar) to recover buffer
	- *Problem*: Commits more expensive
- **Solution**: Modify DB in place, use log to 'undo' on abort
	- *Problem*: Aborts more expensive

Transaction Table

Buffer Manager

Transaction Table **Step 1**: Recover Xact State

- **Problem**: We might need to scan to the very beginning of the log to recover the full state of the Xact table (& Buffer Manager)
- **• Solution**: Periodically save (checkpoint) the Xact table to the log.
	- **•** Only need to scan the log up to the last (successful) checkpoint.
Checkpointing

- **begin_checkpoint** record indicates when the checkpoint began.
	- Checkpoint covers all log entries before this entry.
- **end_checkpoint** record contains the current transaction table and the dirty page table.
	- Signifies that the checkpoint is now stable.

Buffer Manager **Step 2:** Recover Buffered Data

• Where do we get the buffered data from?

Consistency **Step 3: Undo incomplete xacts**

- Record *previous values* with log entries
- Replay log in reverse (linked list of entries)
	- Which Xacts do we undo?
	- Which log entries do we undo?
	- How far in the log do we need to go?

Compensation Log Records

- **Problem**: Step 3 is expensive!
	- What if we crash during step 3?
- **Optimization**: Log undos as writes as they are performed (CLRs).
	- Less repeat computation if we crash during recovery
	- Shifts effort to step 2 (replay)
	- CLRs don't need to be undone!

ARIES Crash Recovery

- Start from checkpoint stored in master record.
- Analysis: Rebuild the Xact Table
- Redo: Replay operations from all live Xacts (even uncommitted ones).
- Undo: Revert operations from all uncommitted/aborted Xacts.

Materialized Views

Materialized Views

When the base data changes, the view needs to be updated

View Maintenance

VIEW ← Q(D)

View Maintenance

WHEN D ← D+ΔD DO: $VIEW \leftarrow Q(D+\Delta D)$

Re-evaluating the query from scratch is expensive!

View Maintenance

VIEW ← VIEW+ΔQ(D,ΔD) WHEN $D \leftarrow D+\Delta D$ DQ : (ideally) Smaller & Faster Query

(ideally) Fast "merge" operation.

 $\Delta(\sigma(R))$

Does this work for deleted tuples?

 $\Delta(\pi(R))=\pi(\Delta R)$

Does this work (completely) under set semantics?

 $\Delta(R_1 \cup R_2)$

S

86

 $R: \{ 1, 2, 3 \}$ $S: \{ 5, 6 \}$ R x S = { <1,5>, <1, 6>, <2,5>, <2,6>, <3,5>, <3,6> }

 Δ Rinserted = { 4 } $\Delta R_{\text{deleted}} = \{ 3, 2 \}$ $(R+\Delta R) \times S = \{ <1,5>, <1, 6>, <4,5>, <4,6> \}$

> Δ inserted(R x S) = Δ Rinserted x S Δ deleted(R x S) = Δ Rdeleted x S

What if R and S both change?

 $(R_1 \cup \Delta R_1) \times (R_2 \cup \Delta R_2)$

$$
\boxed{(R_1 \times R_2) \cup (R_1 \times \Delta R_2) \cup (\Delta R_1 \times R_2) \cup (\Delta R_1 \times \Delta R_2)}
$$

The original

query The delta query